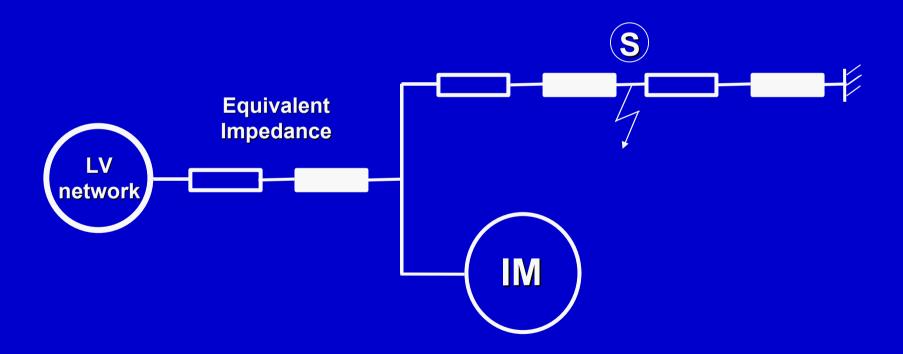
Power Quality Studies Using Digital Simulation

Illustrative Examples

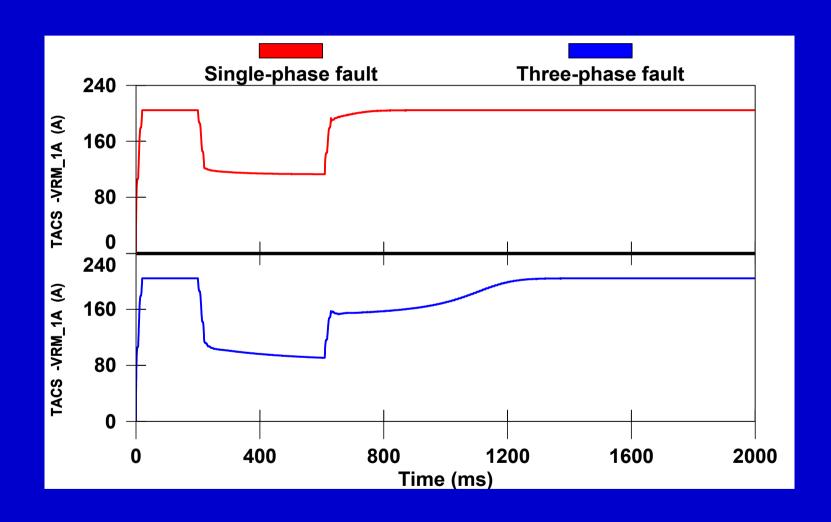
Examples

- Voltage dip effects on three-phase induction motors
- Harmonic resonance. Passive filters
- Voltage dip calculations. Parametric studies
- Active filter simulation
- DVR Simulation
- Stochastic prediction of voltage dips

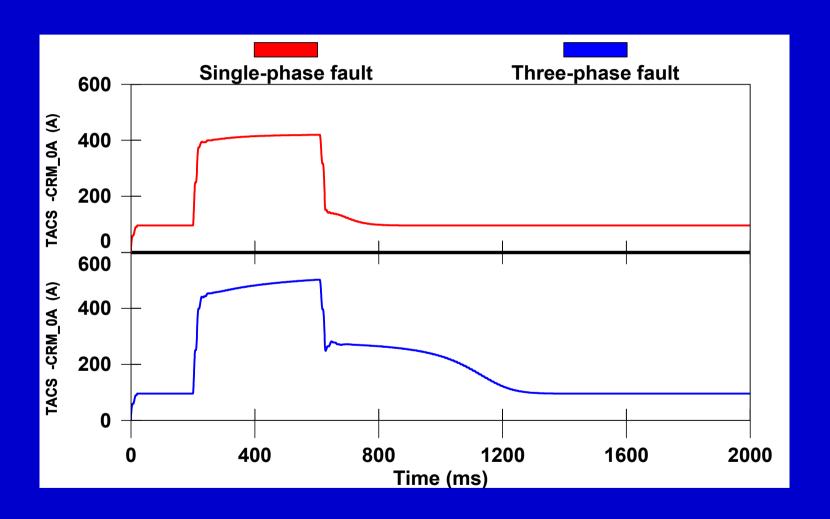
Voltage dip effects



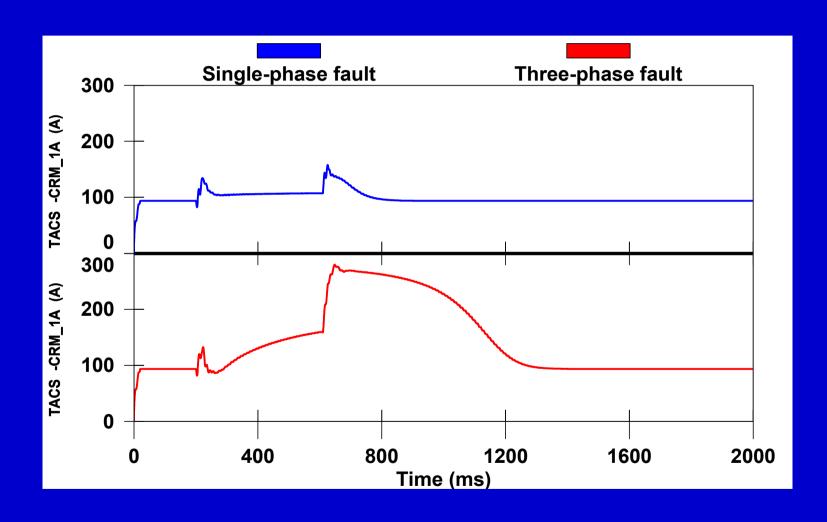
- Type of faults
 - single-phase-to-ground
 - three-phase-to-ground
- Calculation of
 - source and motor stator currents
 - voltages at motor terminals
 - rotor speed
 - electromagnetic torque
- Fault location : Node S



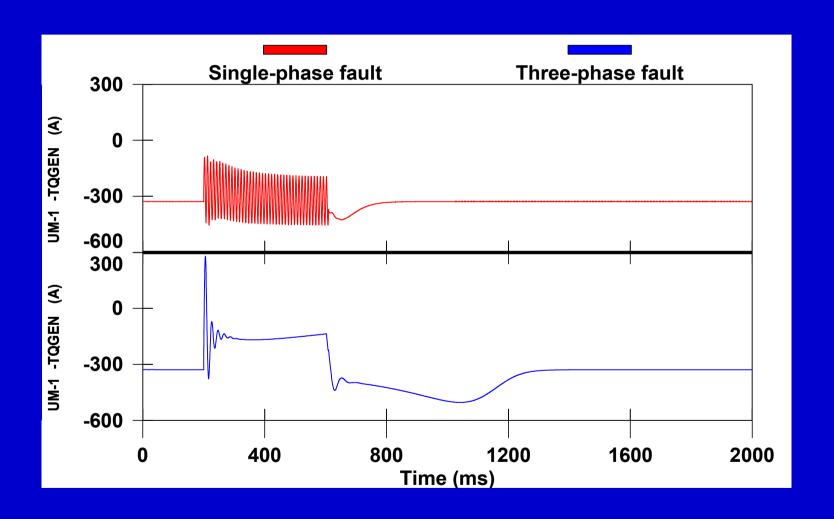
Terminal voltages



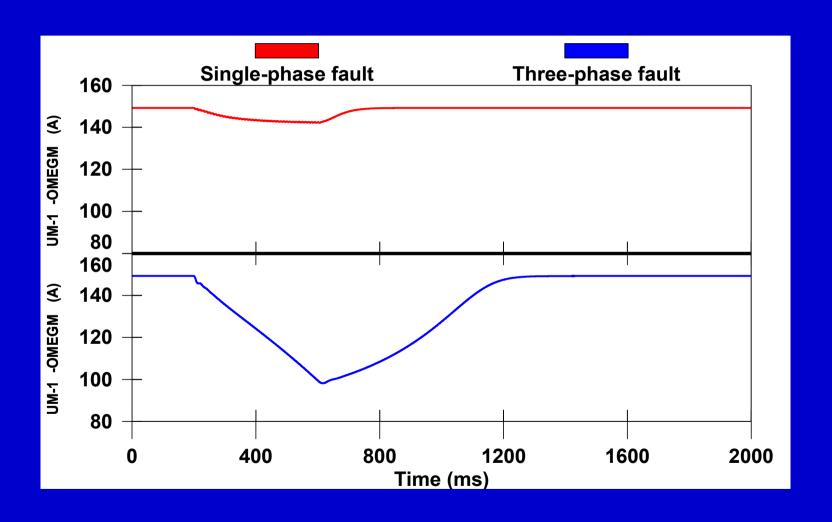
Source currents



Stator currents



Electromagnetic torques



Rotor speeds

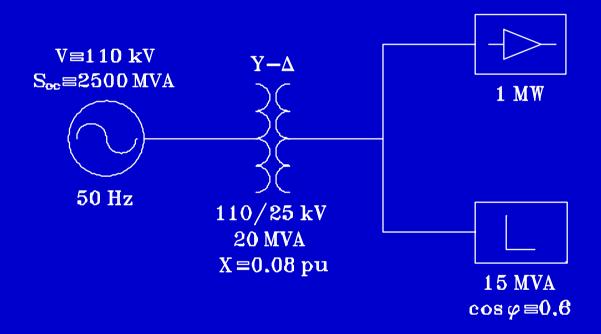
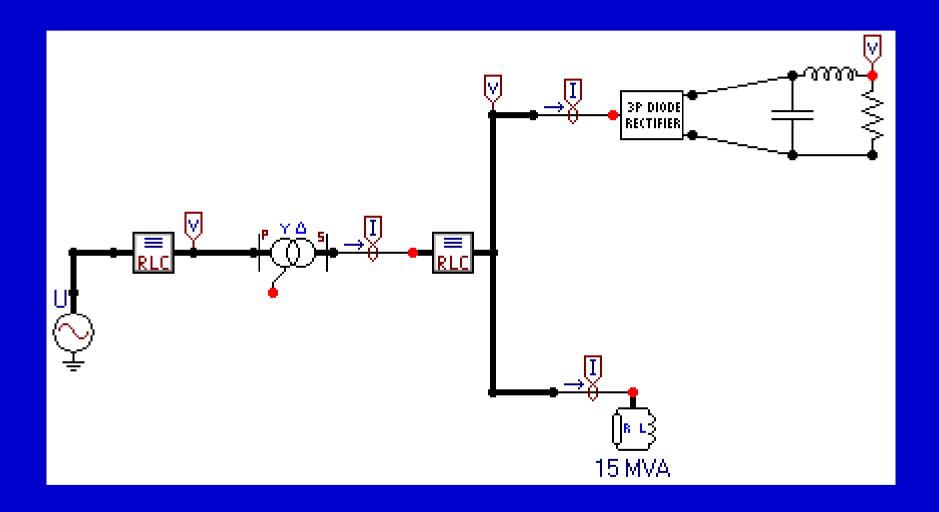
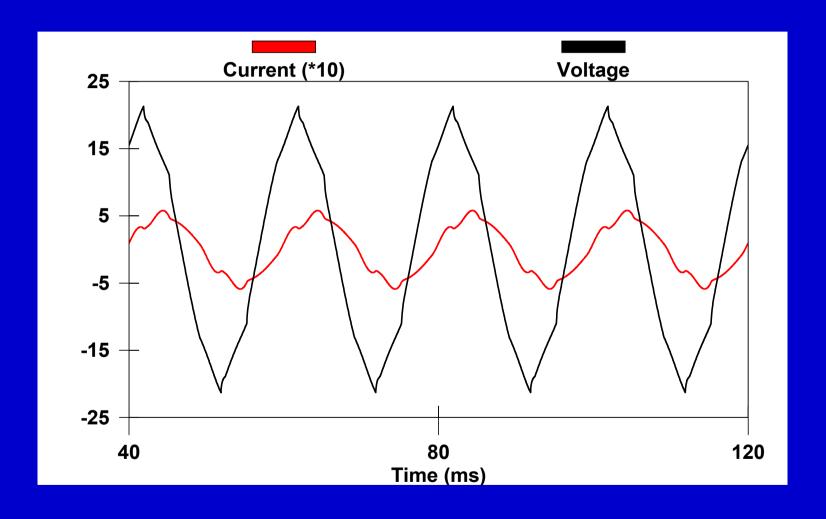


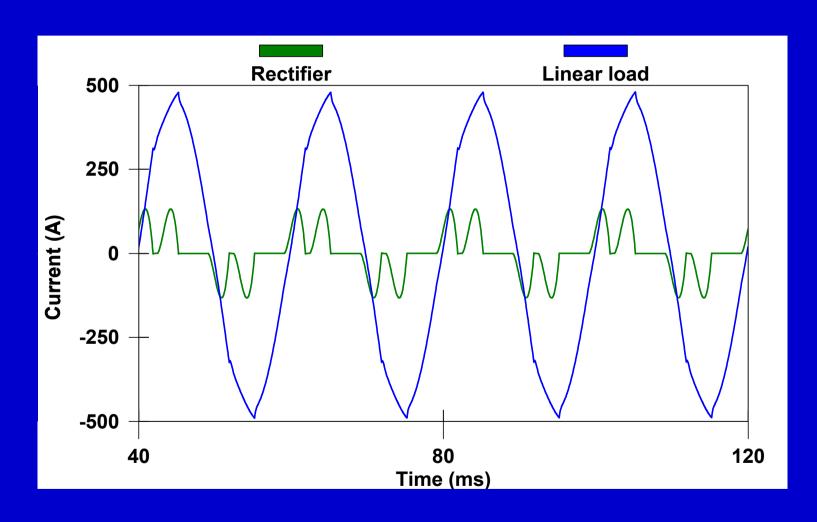
Diagram of the test case



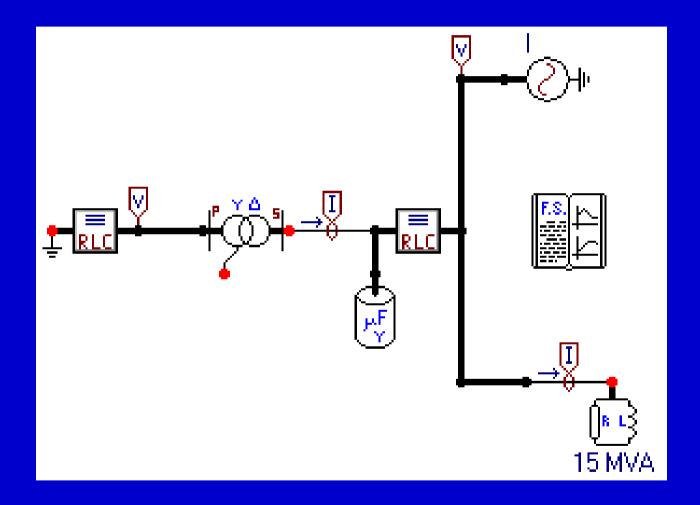
Initial configuration



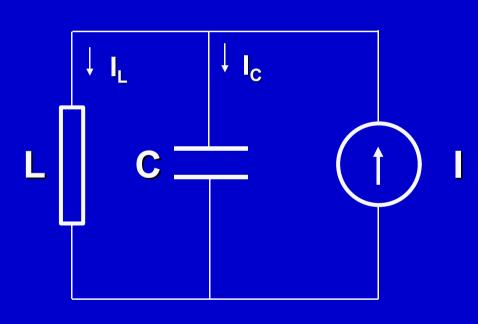
PCC voltage and current



Rectifier and linear load currents



FREQUENCY SCAN after installing the capacitor bank

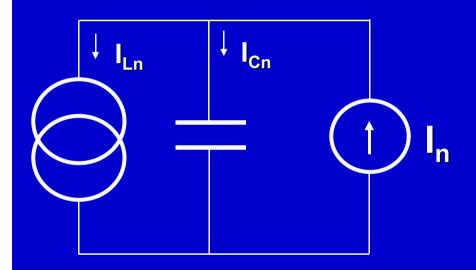


$$L = \frac{V^2}{\omega S_{cc}}$$

$$C = \frac{Q_c}{\omega V^2}$$

$$\omega_{o} = \frac{1}{\sqrt{LC}} = \omega_{v} \frac{S_{cc}}{Q_{c}}$$

Example



High voltage : V = 110 kV ; Scc=2500 MVA

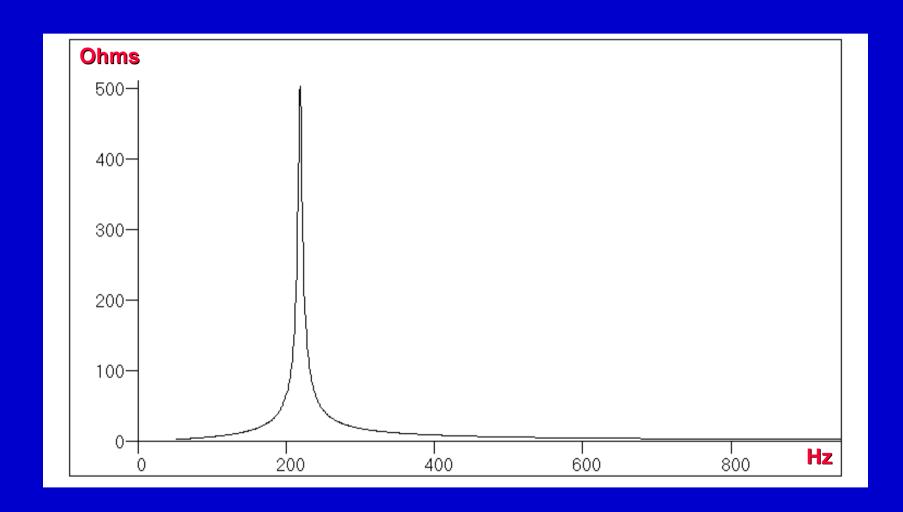
Transformer: 110/11 kV, 20MVA, 8%

Capacitor bank: 11 kV, 12 MVA

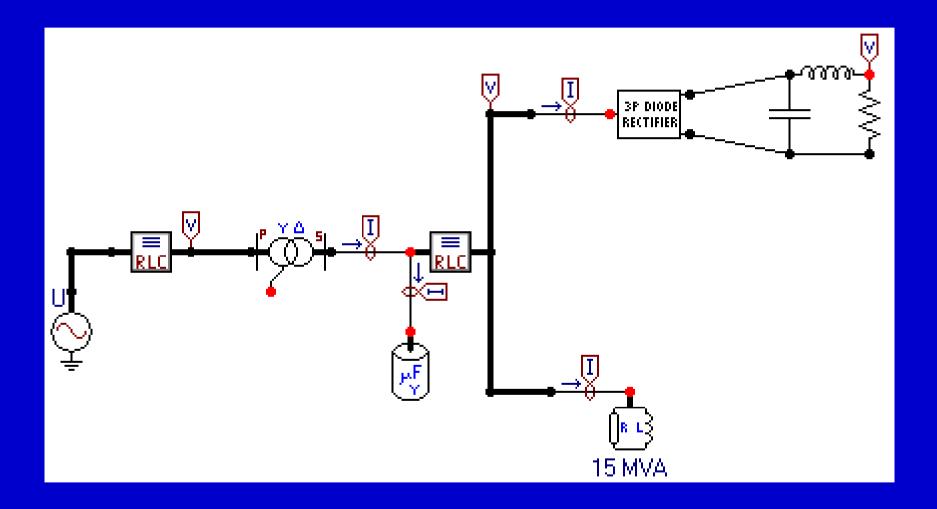
HV+ Transformer = 20/2500 + 0.08 = 0.088

Capacitor bank = 20/12 = 1.667

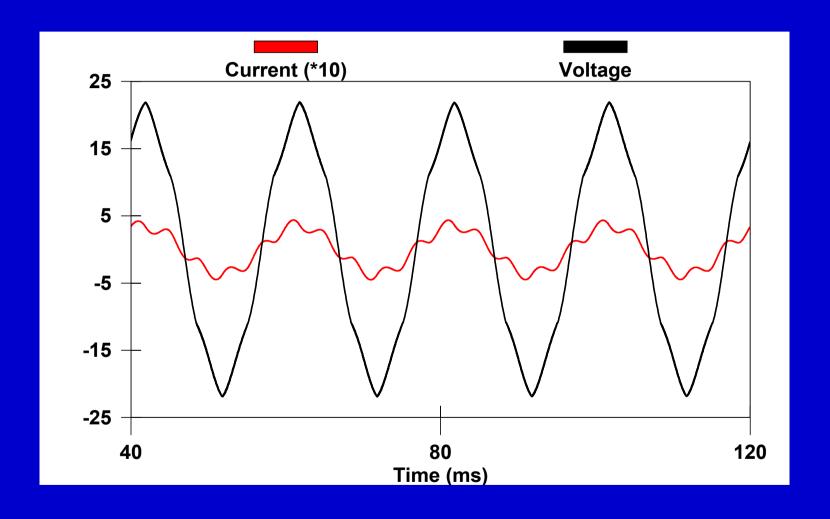
$$n = \sqrt{\frac{1.667}{0.088}} = 4.35$$



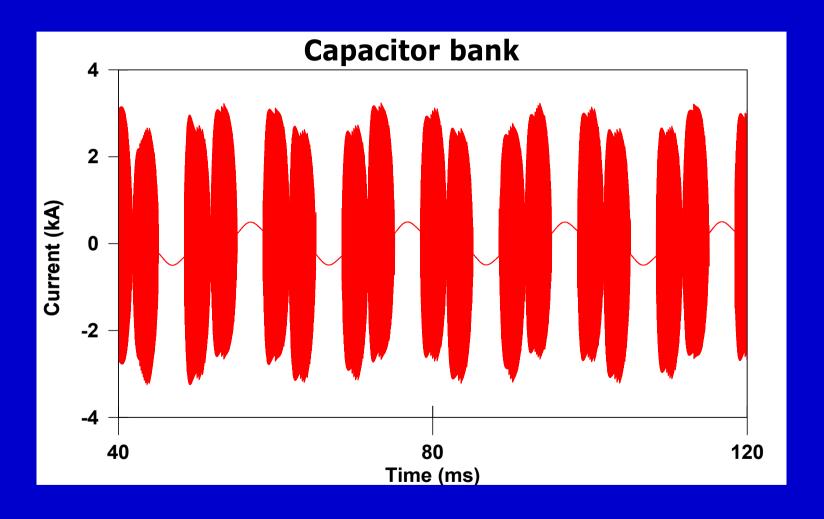
Frequency response after installing the capacitor bank



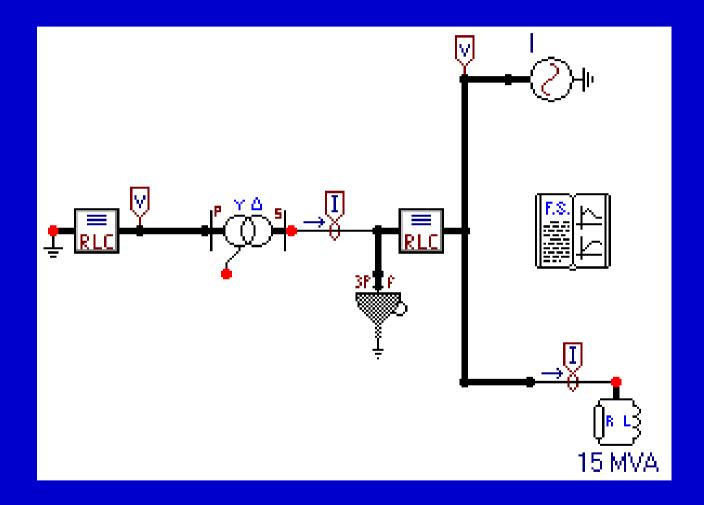
Transient simulation after installing the capacitor bank



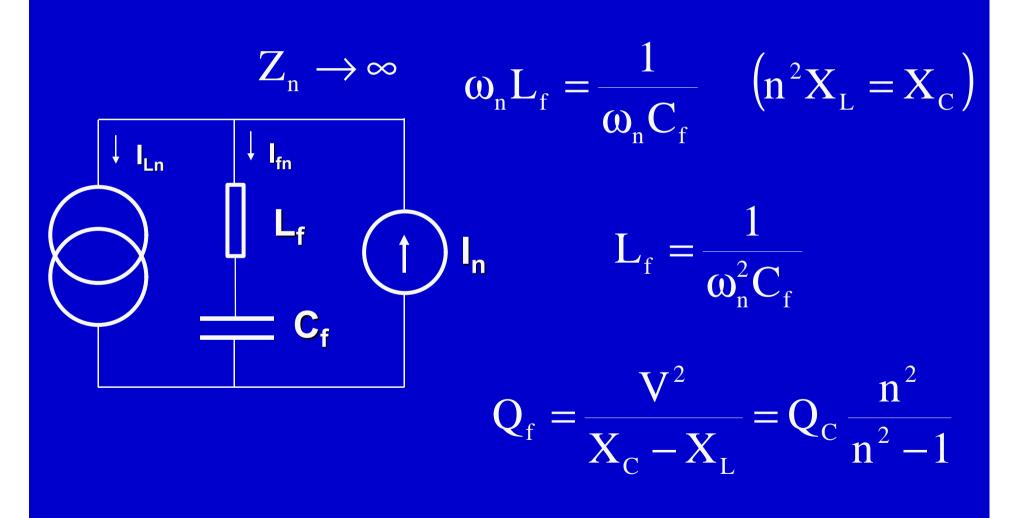
PCC voltage and current

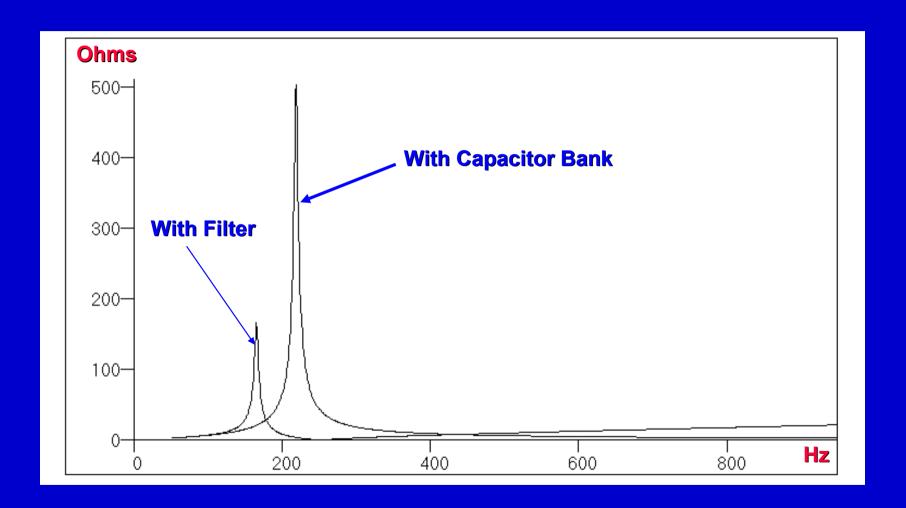


Capacitor bank current

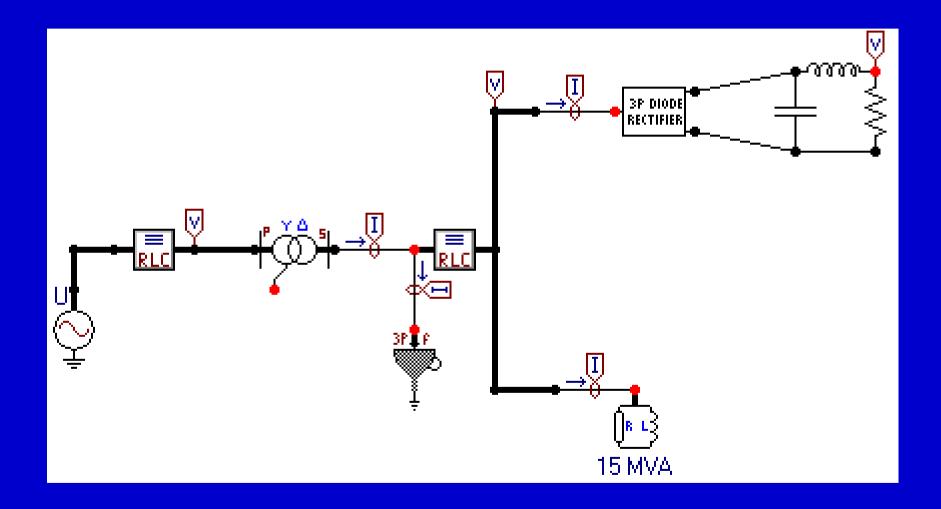


FREQUENCY SCAN after installing the passive filter

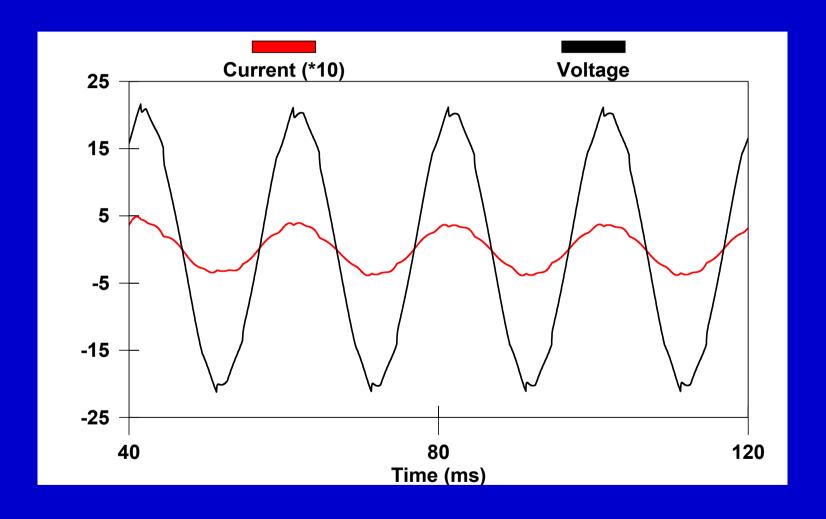




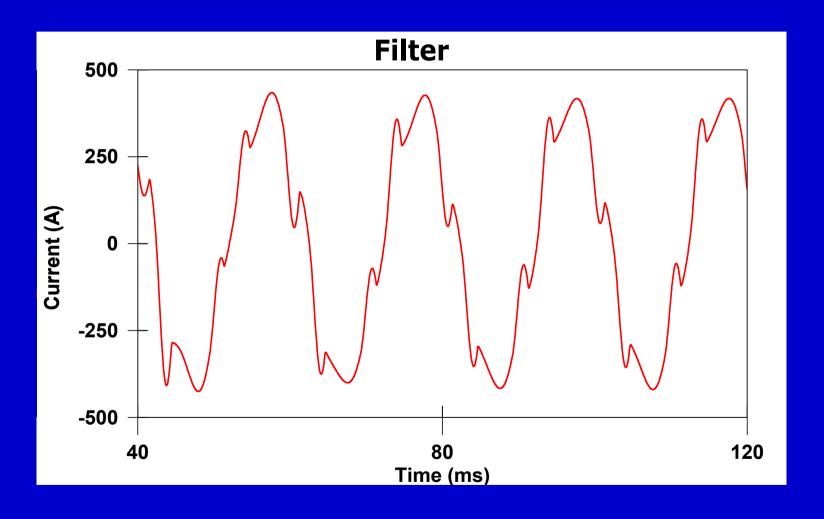
Frequency response after installing the filter



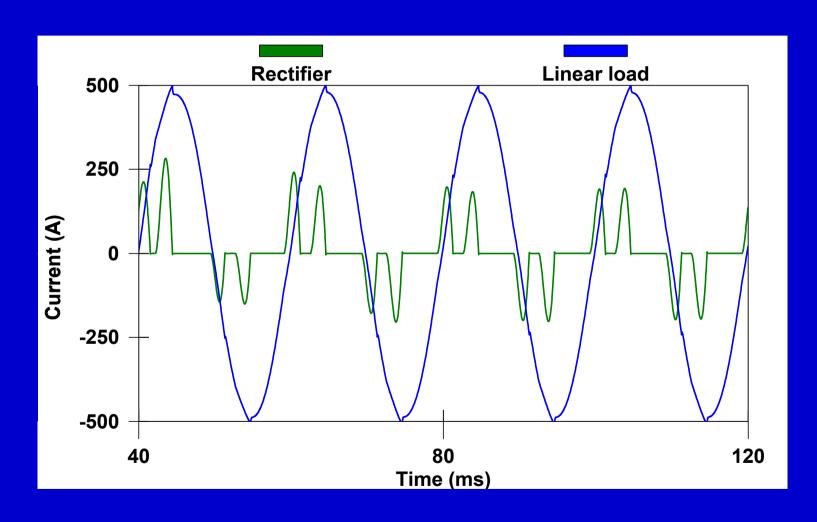
Transient simulation after installing the passive filter



PCC voltage and current

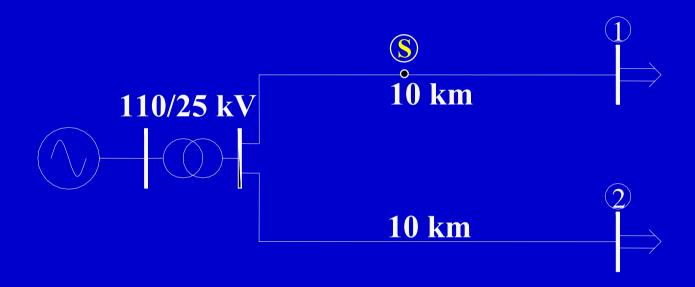


Filter current



Rectifier and linear load currents

Voltage Dip Calculations



HV Equivalent : 110 kV, 1500 MVA, X/R = 10

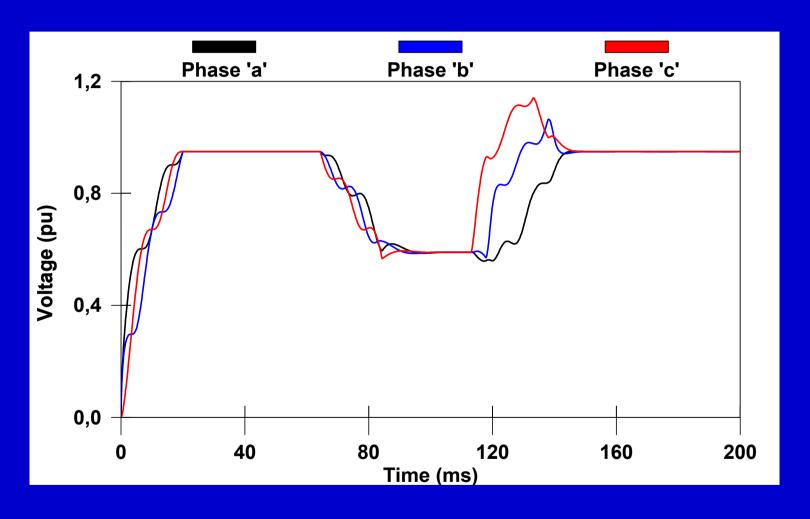
Substation Transformer: 110/25 kV, 10 MVA, 8%, Yd11

Lines: $Z_{1/2} = 0.61 + j0.39$, $Z_0 = 0.76 + j1.56 \Omega/\text{km}$

Voltage Dip Calculations

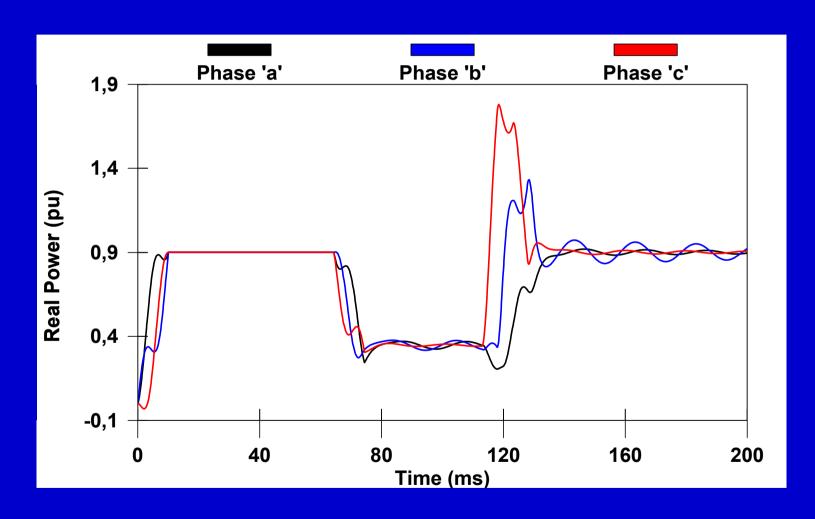
- Calculation of voltage and power demand at Node 2
- Type of faults
 - three-phase-to-ground
 - single-phase-to-ground
- Fault location: 4 km from the substation
- Parametric studies considering
 - the fault location
 - system parameters (SCC, Transformer SC ratio)

Three-phase fault - Node S



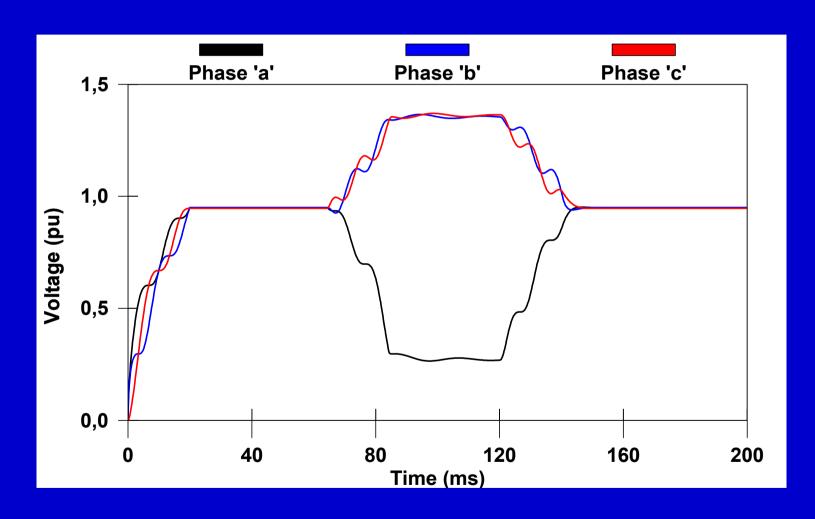
Line-to-ground voltages - Node 2

Three-phase fault - Node S



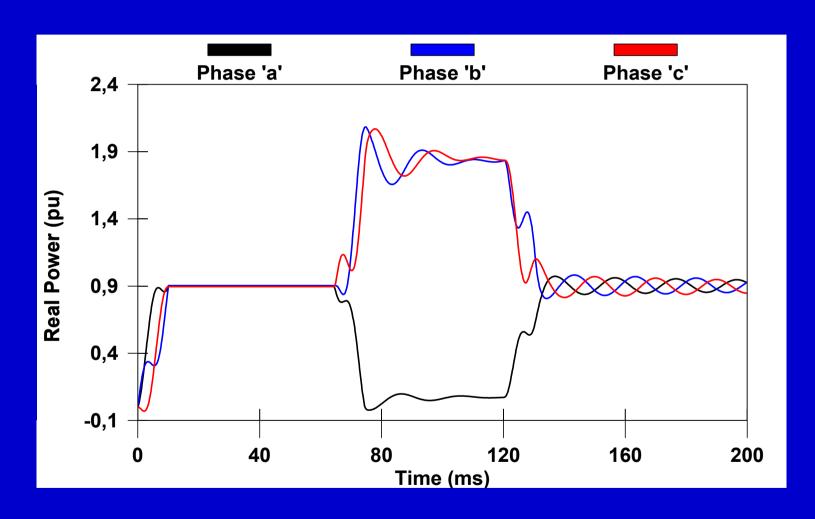
Power demand per phase - Node 2

Single-phase fault - Node S



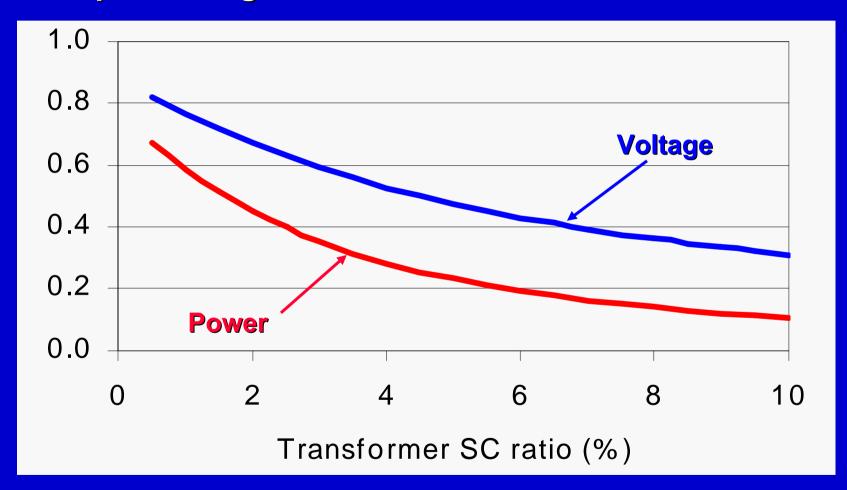
Line-to-ground voltages - Node 2

Single-phase fault - Node S



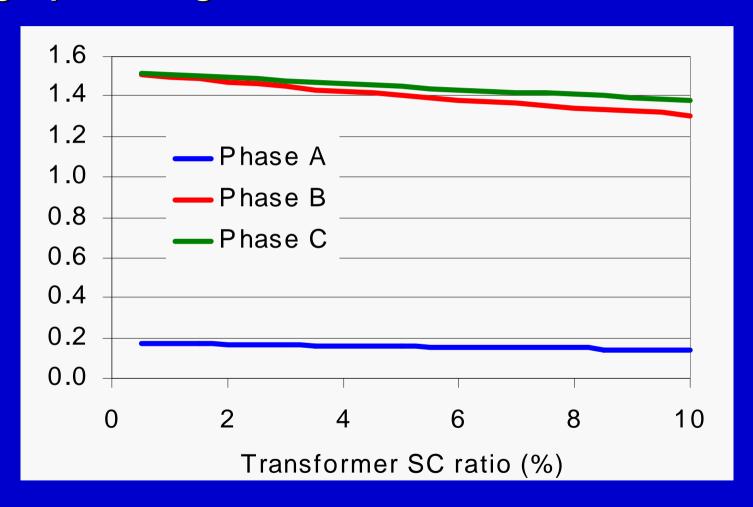
Power demand per phase - Node 2

Three-phase-to-ground fault at 4 km from the substation



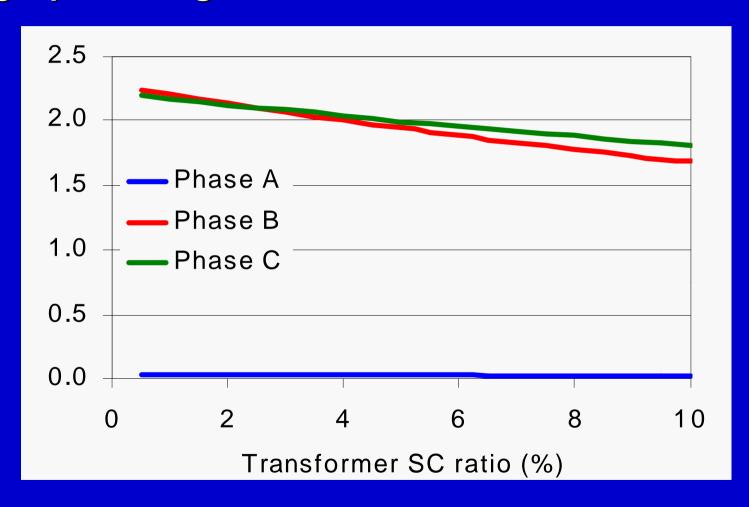
Voltage and power demand per phase - Node 2

Single-phase-to-ground fault at 4 km from the substation



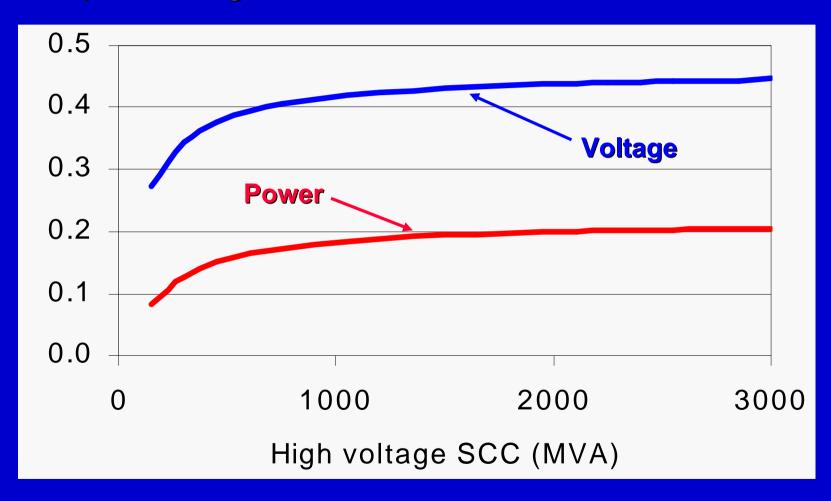
Line-to-ground voltages - Node 2

Single-phase-to-ground fault at 4 km from the substation



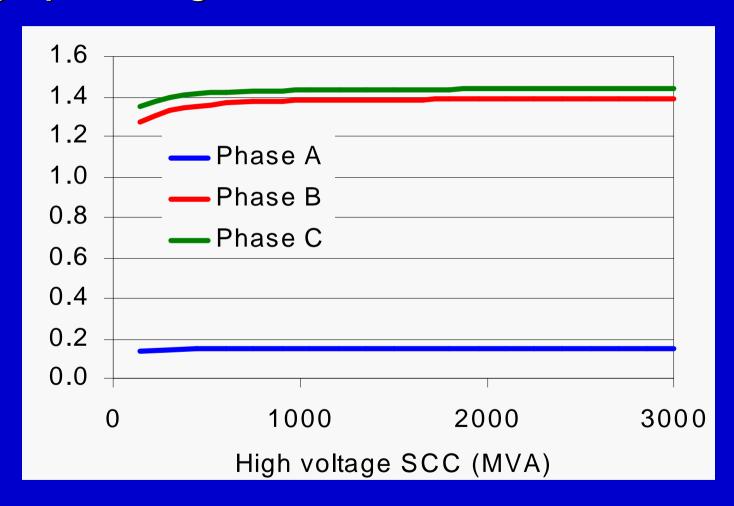
Power demand per phase - Node 2

Three-phase-to-ground fault at 4 km from the substation



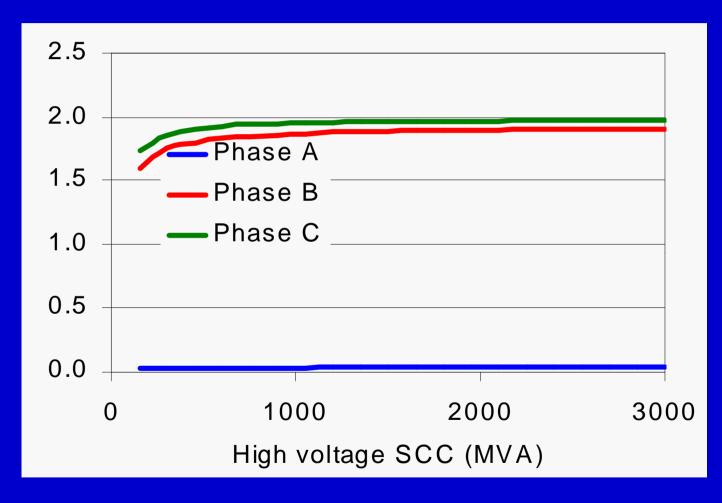
Voltage and power demand per phase - Node 2

Single-phase-to-ground fault at 4 km from the substation



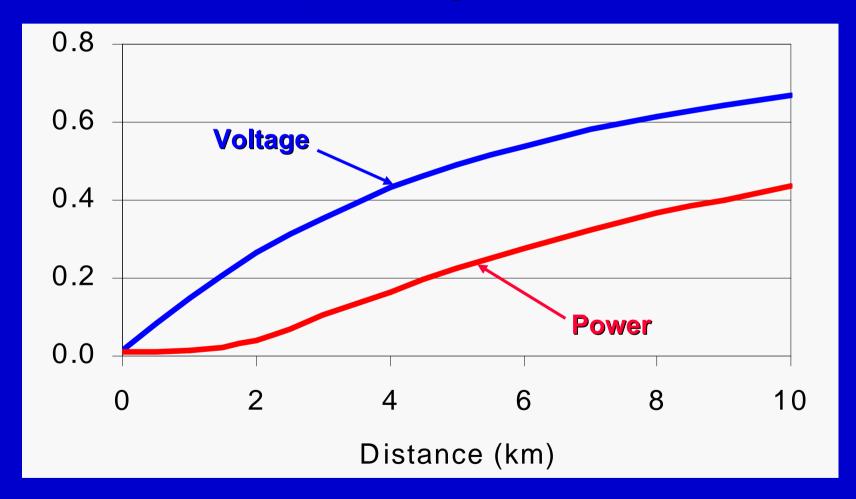
Line-to-ground voltages - Node 2

Single-phase-to-ground fault at 4 km from the substation



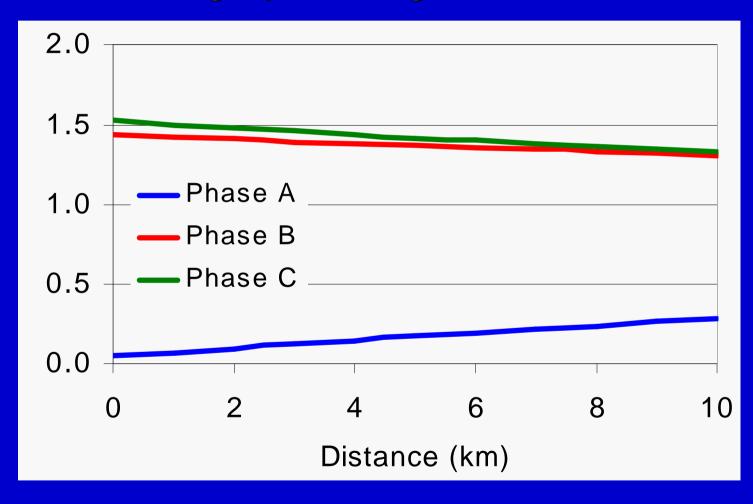
Power demand per phase - Node 2

Three-phase-to-ground fault



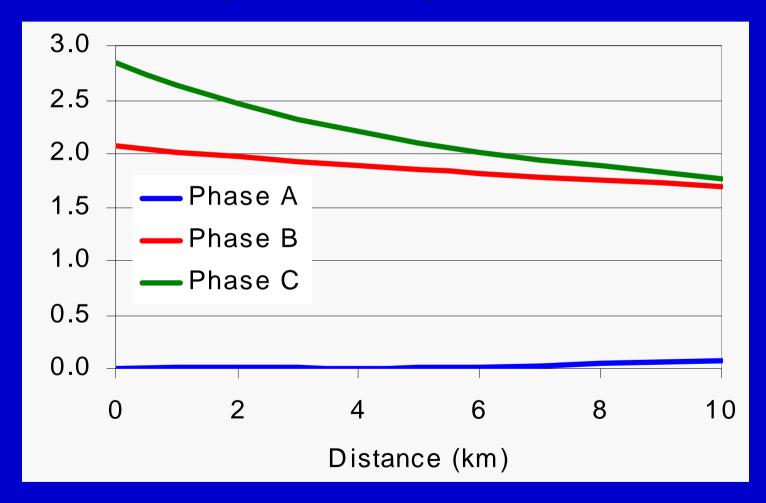
Voltage and power demand per phase - Node 2

Single-phase-to-ground fault



Line-to-ground voltages - Node 2

Single-phase-to-ground fault



Power demand per phase - Node 2